#### Status of $B_0 \rightarrow \eta' K_0$

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TDCPV in charmless  $b \rightarrow s$  decay

- the BR is much lower than the  $b \rightarrow c \ B \rightarrow J/\psi K_s$
- $\bullet$  also, vertex resolution is generally worse due to lower q of  $B^0$  decay
- $S_{\eta' K^0} = \sin 2\phi_1^{e\!f\!f}$  tightly related to  $\sin 2\phi_1$  measured in  $b \to cs\bar{s}$  decay
- identical if only penguin diagram were present. Not so:  $\Delta S_{\eta^{'} \kappa^{0}} \approx \pm 0.03, 0.05$
- new physics can enter in the loop, shifting  $\Delta S_{\eta' K^0}$  more than SM expectation
- errors are statistically dominated, so far: fast improvement with first data;
- no competition from LHCb for  $\eta^\prime \!\!\! ,$  due to the presence of neutrals.



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Decay channels



many decay channels available $B^{0}  o \eta' K^{0}$					
decay channel					
$\eta'  ightarrow  ho^{0} ( ightarrow \pi^{+}\pi^{-}) \gamma$	BR=29%	not yet			
$\eta'  o \eta \pi^+ \pi^-$	43%	today			
$\searrow \eta  ightarrow \gamma \gamma$	40%	$\eta_{\gamma\gamma}$			
$\searrow \eta  ightarrow \pi^+ \pi^- \pi^0$	23%	$\eta_{3\pi}$			
$K^0_S  o \pi^+\pi^-$	69%	today			
${\cal K}^0_S  o \pi^0 \pi^0$	31%	just started			
KL0		not yet			
$B_0 \to \eta'(\to \eta_{\gamma\gamma}/\eta_{3\pi}\pi^+\pi^-)K^0_{S}(\to\pi^+\pi^-)$	BR=19%				

- Not all final state studied in time for B2TIP report
- final states considered so far in red

• not yet  $(
ho^0, {\cal K}^0_{\cal S} o \pi^0 \pi^0, {\cal K}^0_{\sf L})$ 

- π<sup>0</sup> reconstruction eff still quite low
- K<sup>0</sup><sub>L</sub> reconstruction not yet available
- $\rho^0 \gamma$  not yet
- educated guess in final sensitivity for the missing channels



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- Release 00.07.01
- Move to MC6 dataset: full BGx1 analysis
- Efficiency of the signal w/ and w/o machine background understood;
- BDT for signal cross feed (SxF) included in the ML fit;
- Accept multiple candidates per event;
  - $\blacktriangleright$  particularly useful for  $\eta_{3\pi},$  where cands multiplicity is high;
  - increase of efficiency for true signal yield, at the cost of more SxF;
  - ▶ the SxF BDT allows for separation of signal and SxF on a statistical basis on the ML fit;
- study sensitivity obtained using different number of candidates per event  $\eta_{3\pi}$ .
- $\mathcal{S}_{CP}$  sensitivity with toys.
- Educated extrapolation to other  $B^0 o \eta' K^0$  and penguin  $b o s \bar{q} q$  modes.
- Documented in B2TIP report
- First look to effect of beam-background on Flavor Tagging



















- Acceptance for signal is about:  $\sim 50\%$
- Signal selections mostly reduce SxF (and background)
- optimization for signal efficiency at the cost of SxF increase.



Tracking efficiency without and with machine background



- About 8% loss for track (nb rel 00,07.01)
- $B^0 \to \eta'(\eta_{\gamma\gamma}\pi^{\pm})K_S^0 (\to \pi^+\pi^-)$  has 4 charged tracks:  $\sim 30\%$  drop,  $30 \to 23.0$ In good agreement with what observed in  $B^0 \to \phi(\to \kappa^+\kappa^-)\kappa_s(\to \pi^+\pi^-)$
- $B^0 \rightarrow \eta'(\eta_{3\pi}\pi^{\pm})K_S^0(\rightarrow \pi^+\pi^-)$  has 6 charged tracks:  $\sim 50\%$  drop,  $15.1 \rightarrow 6.7$ • Some gain possible with fine tuning selections, but mostly is reconstuction;
- likely to improve with better reconstruction algorithms: to be checked with rel 8





#### lssue

- machine background increases also fraction of signal cross feed
- Signal is selected but a wrong set of tracks or photons are used to build the decay chain
  - ► BGx0→BGx1

$$\eta_{oldsymbol{\gamma}oldsymbol{\gamma}}$$
 : SxF/Signal=2.3%  $ightarrow$  16.5%

 $\eta_{3\pi}$  : SxF/Signal=5.8%  $\rightarrow$  27%

#### Origin

$mis{-}Reco \Rightarrow$	$\frac{wrong \ \eta'}{tot \ SXF}$	$\frac{wrong \eta}{wrong \eta'}$	$\frac{wrong \pi^0}{wrong \eta}$
$\eta_{\gamma\gamma} K_s^{\pm}$	99.0 %	78.1 %	
$\eta_{3\pi}K^{\pm}$	99.9 %	98.7 %	82.03%

As expected, in most of the cases the problem is in the neutrals  $\eta, \pi^0 \to \gamma \gamma$ Loosening selection criteria improves signal efficiency but worsen the problem

#### Solutions explored so far

- improve the choice of best candidate in events with multiple ones
- inizial choice based on best  $\Pi(P_{vertex})$  or  $\chi^2$  of invariant masses in the decay chain
- try a multivariate approach





- The behavior is good, true signal has the best BDT in most of the cases
- Separation between signal and S×F is good
- Background (continuum and peaking) is well separated as well
- Choose the candidate with the highest BDT



But . . .

In spite of all this, the actual improvement in Sxf contamination is marginal: few % at most!

- $\eta_{\gamma\gamma}$  : SxF/Signal=16.5%  $\rightarrow$  15%
- $\eta_{3\pi}$  : SxF/Signal=27%  $\rightarrow$  25%

true signal vs SxF separation possible



### Improve efficiency by multiple candidates

- The SxF BDT not able to select the one best candidate...
- ...but helps discriminating if a candidate is true signal or not;
- to avoid further drop in the true signal efficiency we accept more than one candidate per event
- $\eta_{\gamma\gamma}~$  can take all candidates, low multiplicity per event  $\eta_{3\pi}~$  many true candidates are the next to best BDT
- this will significantly increase SxF as well
- include SxF BDT in the ML to separate the two sources

$\eta_{3\pi}$ : efficiencies and SxF							
	candidates	1	2	all			
	True signal efficiency	6.7	8.1	9.6			
	SxF efficiency	2.3	6.0	28.6			

 $\mathrm{B^0} \to \eta^\prime (\eta_{\,\gamma\,\gamma}\,\pi^\pm)\mathrm{K^0_S}$ 



### Vertex resolution: True signal, SxF, all. $B^0 o \eta'(\eta_{\gamma\gamma}\pi^{\pm})K_S^0$





Signal side True  $\sigma = 69 \ \mu m$ SxF  $\sigma = 70 \ \mu m$ All  $\sigma = 69 \ \mu m$ 

Tag side True  $\sigma = 52 \ \mu m$ SxF  $\sigma = 141 \ \mu m$ All  $\sigma = 67 \ \mu m$ 

### Vertex resolution: True signal, SxF, all. $B^0 \rightarrow \eta'(\eta_{\gamma\gamma}\pi^{\pm})K_S^0$



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Az (signal) (cm)

8 050 040 030 020 01 0

0 010 02 0 03 0 04 0 05 ∆z (signal) (cm)

0.050.040.030.020.01 0 0.010.020.030.040.05

TrueSignal

- Total PDF

Core

Tail

Outlier

Az resolution

μ(δ\_): -3.78 μm

24000

22000

20000

18000

16000

14000

12000

10000

8000

6000

4000

2000

TrueSignal

Total PDF

Core

Tail

Outline

Az resolutio

μ**(**δ\_\_): -1.36 μn

25000

20000

15000

10000

5000

B0 to Eta' KS0

8.050.040.030.020.010

0.010.020.030.040.05

Az (signal) (cm)

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 $\eta_{\gamma\gamma}(\text{BGx1})$ True  $\sigma = 1.22 \text{ ps}$ SxF  $\sigma = 2.87 \text{ ps}$ All  $\sigma = 1.45 \text{ ps}$ True (BGx0)  $\sigma = 0.91 \text{ ps}$ 



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 $\bigotimes_{\text{\tiny belle III}} \text{ ML fit } B^0 \to \eta'(\eta_{\gamma\gamma}\pi^{\pm}) K^0_S$ 





ML fit  $B^0 o \eta'(\eta_{\gamma\gamma}\pi^{\pm})K^0_S$ 





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 $\bigotimes_{\text{bellet III}} \text{ ML fit } B^0 \to \eta'(\eta_{3\pi}\pi^{\pm}) K^0_S$ 





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ML fit  $B^0 \rightarrow \eta'(\eta_{3\pi}\pi^{\pm})K^0_S$ 





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Channel	yield	$\sigma(S)$	$\sigma(C)$
	$1 ab^{-1}$		
$\eta(2\gamma) K^0_S(\pi^{\pm})$	969	0.13	0.08
$\eta(3\pi)K^0_S(\pi^{\pm})$	283	0.25	0.16
	$5 \ ab^{-1}$		
$\eta(2\gamma) K^0_S(\pi^{\pm})$	4840	0.06	0.04
$\eta(3\pi)K^0_S(\pi^{\pm})$	1415	0.11	0.08

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Non negligible bias on  $\mathcal{A}(C)_{CP}$  under investigation

#### Missing channel

• 
$${\sf K}^{\sf 0}_{\sf S} 
ightarrow 2\pi^{\sf 0}$$
,  $\eta' 
ightarrow 
ho\gamma$ , and  ${\sf K}^{\sf 0}_{\sf L}$ 

Efficiencies (%) comparison					
Channel	Belle 2	Belle	BaBar		
$\eta(2\gamma)K_S^0(\pi^{\pm})$	23.0	21.9	26.04		
$\eta(3\pi)K^0_{\mathcal{S}}(\pi^{\pm})$	8.1	7.1	11.5		





- The correct dependence  $\sigma(S, \mathcal{C}) \sim rac{1}{\sqrt{\mathcal{L}}}$  has been checked
- considered scenario up to  $\mathcal{L}{=}5 \text{ ab}^{-1}$
- for higher luminosity  $\sigma_{stat} \sim \sigma_{syst}$



### Extrapolating to missing channels & other $b o sqar{q}$ penguin modes



Statistical uncertainty on S and C ( $\sigma(S, C)$ ) has the following dependence

$$\sigma(S, C) \sim rac{\mathcal{C}}{\sqrt{\mathsf{Yield}^{sig}}} = rac{\mathcal{C}}{\sqrt{\mathcal{N}^{sig}\epsilon_{sig}}}$$

where

- C is a function of the vertex resolution, depending (at O(1)) from number of charged tracks from B<sup>0</sup> decay vertex;
- $\epsilon_{sig}$  is the total efficiency for reconstruction and selection of signal candidate events For each missing channel Y:
- a benchmark channel X (studied for Belle2, *i.e.* B → η'(η<sub>(γγ,3π)</sub>)K<sub>S</sub>(π<sup>+</sup>π<sup>-</sup>)) is used, according to the number of charged tracks in the final state (in order to have similar C)

• 
$$\epsilon_Y^{B2} = r \cdot \epsilon_X^{B2}$$
 with  $r \equiv \frac{\epsilon_Y^{B,BaBar}}{\epsilon_X^{B,BaBar}}$  from Belle <sup>[Belle(2014)]</sup> or BaBar <sup>[BABAR(2009)]</sup>

• compute  $\sigma_Y(S, C)$  by rescaling

$$\sigma_Y(S, C) \simeq \sigma_x(S, C) \sqrt{rac{\mathsf{Yield}_Y}{\mathsf{Yield}_X}}$$





Summary of $B^0  o \eta' {\cal K}^0$					
Channel	yield	$\sigma(S)$	$\sigma(C)$		
	$1 ab^{-1}$				
$\eta(2\gamma)K_S^0(\pi^{\pm})$	969	0.13	0.08		
$\eta(2\gamma)K^0_S(2\pi^0)$	215	0.27	0.17		
$\eta(3\pi)K^0_S(\pi^\pm)$	283	0.25	0.16		
$ ho(\pi^{\pm}) K^0_S(\pi^{\pm})$	2100	0.06	0.07		
$ ho(\pi^\pm) { m \it K}^0_{ m \it S}(2\pi^0)$	320	0.10	0.17		
K <sub>S</sub> modes	3891	0.065	0.040		
$K_L$ modes	1546	0.17	0.11		
$K_S + K_L$ modes	5437	0.060	0.038		
	5 $ab^{-1}$				
$\eta(2\gamma) K^0_S(\pi^{\pm})$	4840	0.06	0.04		
$\eta(2\gamma)K^0_S(2\pi^0)$	1070	0.12	0.09		
$\eta(3\pi)K^0_S(\pi^{\pm})$	1415	0.11	0.08		
$ ho(\pi^{\pm})K^0_S(\pi^{\pm})$	10500	0.04	0.03		
$ ho(\pi^\pm) K^0_S(2\pi^0)$	1600	0.10	0.07		
K <sub>S</sub> modes	19500	0.028	0.021		
K <sub>L</sub> modes	7730	0.08	0.05		
$K_{s} + K_{l}$ modes	27200	0.027	0.020		

#### Other $b ightarrow sqar{q}$ penguin mode

Channel	Benchmark channel	efficiency ratio
	$1 \ ab^{-1}$	
$\omega(\pi^+\pi^-\pi^0)K^0_S(\pi^\pm)$	$\eta'(\eta_{\gamma\gamma}\pi^+\pi^-)K^0_S(\pi^\pm)$	BaBar
$\pi^0 K^0_S(\pi^{\pm})$	$\pi^0 \kappa^0_S(\pi^\pm) \gamma$	BaBar
	Results:	
Channel	yield $\sigma(S)$ $\sigma$	r(C)

$1 ab^{-1}$					
$\omega(\pi^+\pi^-\pi^0)K^0_S(\pi^\pm)$	334	0.14	0.11		
$\pi^0 {\cal K}^0_{\cal S}(\pi^\pm)$	1140	0.20	0.23		
5 $ab^{-1}$					
$\omega(\pi^+\pi^-\pi^0)K^0_S(\pi^\pm)$	1670	0.06	0.05		
$\pi^0 K^0_S(\pi^\pm)$	5700	0.09	0.10		

## Impact of beam background on Flavour tagging - From <u>A.Gaz</u>

- Flavor tagging based on the output of a Multivariate classifier (FastBDT)
- tagging efficiency defined as (w mis-tag probability,  $\varepsilon$  efficiency)

$$Q = \varepsilon (1 - 2w)^2$$

- Flavor tagger trained on  $B^0 o J/\psi( o \mu^+\mu^-)K_S$  without beam background
- $\bullet\,$  drop of performances when classifying events with beam-background  $Q=33.8\% \rightarrow Q=28.4\%$



### Impact of beam background on Flavour tagging - From <u>A.Gaz</u>



 performances are partially recovered once classifier is trained on beam-background sample

Sample	Training sample	Q (%)
BKG0	BKG0	33.8
BKG1	BKG0	28.4
BKG1	BKG1	30.4







#### • Full analysis chain finalized for $\eta'(\eta_{(\gamma\gamma,3\pi)})K_S(\pi^+\pi^-)$

- new original strategies have been explored (dedicated SXF study, multiple candidates) with current framework Belle2 efficiency is between Belle and BaBar for both channels
- ML fit tuning;
  - Still some remaining issues:
  - migration between continuum and peaking background is seen
  - still failing to properly fit  $\Delta t$  distribution for peaking (possibly related);
  - Bias seen for A in toys ( $\mathcal{A}_{CP}=-0.1$ ), S is fine
- Sensitivity for modes not studied obtained with educated extrapolation
- Included in B2TIP report (draft)
  - Working Group 3 (WG3), chapter 9: "Time Dependent CP Violation of B mesons and the determination of  $\phi_1$ ",
  - chapter mostly completed (missing introduction, summary, ...)
- First look at effects of beam-background on flavor tagging presented
- We'd like to have a B2 note with more complete documentation for future reference;





Additional or backup slides





#### candidate selection: main cuts

- Reconstruct decay chain with mass constrains for π<sup>0</sup>, η, η', K<sup>0</sup><sub>S</sub>,
   vertex only (w/o mass) for B<sup>0</sup> (more later)
  - $\blacksquare \pi^0, \eta_{\gamma\gamma}:$
  - $ightarrow \ 0.06 < E_{\gamma} < 6 \, {
    m GeV}, \ E_9/E_{25} > 0.75$
  - $\blacktriangleright~M(\pi^0)\in$  [100, 150] MeV
  - ▶  $M(\eta_{\gamma\gamma}) \in [0.52, 0.57]$  GeV;
  - $\blacksquare \ \eta' \to \eta_{\gamma\gamma} \pi^+ \pi^-:$
  - $d_0(\pi^{\pm}) < 0.08$  mm;  $z_0(\pi^{\pm}) < 0.1$  mm;
  - ▶ N hits<sub>PXD</sub> $(\pi^{\pm}) > 1$ , PID
  - ▶  $M(\eta') \in [0.93, 0.98]$  GeV;

- $\ \, \blacksquare \ \, \eta' \to \eta_{3\pi} \pi^+ \pi^- :$
- ▶  $M(\eta') \in [0.93, 0.98]$  GeV;
- $\blacksquare \mathsf{K}^{\mathsf{0}} \to \pi^{+}\pi^{-}:$
- $M(K_{S}^{0} \rightarrow \pi^{+}\pi^{-}) \in [0.48, 0.52] \text{ GeV};$
- $\blacksquare B^0 \to \eta' (\to \eta_{\gamma\gamma} \pi^+ \pi^-) \mathsf{K}^{0^{+-}}_{\mathsf{S}}$
- $M_{bc} > 5.25 \text{ GeV};$
- $|\Delta E| < 0.1 \, \text{GeV};$
- $\blacksquare B^0 \to \eta' (\to \eta_{3\pi} \pi^+ \pi^-) \mathsf{K}^{0^{+-}}_{\mathsf{S}}$
- ►  $|\Delta E| < 0.15 \, \text{GeV};$

if  $\mathit{N_{cands}} > 1$ , select that with best reduced  $\chi^2$  for  $\eta, \eta', \mathsf{K}^0_\mathsf{S}$  inv. masses

#### ${f S}$ Vtx reco and $\Delta t$ resolution: $\eta_{\gamma\gamma}$ channel



- Fit the  $B_0$  vertex from charged tracks;  $(\pi^{\pm} \text{ from } \eta' \rightarrow \eta \pi^{\pm})$
- **add** also constraint from reconstructed  $K_S^0$  direction;  $(K_S^0 \rightarrow \pi^+ \pi^-)$
- add also constraint from B<sup>0</sup> boost direction, transverse plane only.







With beamspot  $(x, y) \& K_{S}^{0}$ :

No efficiency loss important improvement in  $\Delta t$  resolution  $1.89 \rightarrow 1.62 \rightarrow 0.91 \ ps$ 

Vtx reconstruction for  $B^0 \rightarrow \eta' (\rightarrow \eta_{3\pi} \pi^+ \pi^-) K_S^{0^{+-}}$ 





#### With $B^0$ dir. & $K_S^0$ :

No efficiency loss  $1.25 \rightarrow 0.88 \ ps$ 

In both cases,  $\Delta t$  resolution better than in Belle, in spite of lower boost





- Combinatorial: from continuum background  $e^+e^- 
  ightarrow uar{u}, dar{d}, sar{s}, car{c}$ 
  - evaluated from  $M_{bc}$  side bands on real data
  - now from MC production: NB: still w/o machine background!
  - use Continuum Suppression variable
    - \* multivariate variables sensitive to event topology
    - ★ central (signal) vs jet-like (continuum)
    - ★ past issues w/ variables "fixed"
- **Peaking**: any other B decays possibly with real  $\eta'$  and/or  ${\sf K}^0_{\sf S}$ 
  - evaluated from MC of generic  $B^0\overline{B}^0$ ,  $B^+B^-$
- Current results based on BGx0 production, namely w/o machine background
  - impact of machine background under study
  - signal w/ machine background already produced
- Next table numbers before Continuum Suppression cut

### Background reduction (before CS cut)



Sample	иū	dā	<u>s</u> 5	сē	contiuum	$B^0\overline{B}^0$	$B^+B^-$
Input ev (M)	1284	321	306	1063	2974	2160	2070
	В	$^{o} ightarrow\eta^{\prime}$ (	$(\rightarrow \eta_{\gamma\gamma})$	$\pi^+ \pi^-$ )	${\sf K}^{0^{+-}}_{\sf S}$		
$\epsilon_{sel} ~(\cdot 10^{-6})$	2.69	3.06	2.40	3.62	3.0	0.11	0.038
ev for 300 fb $^{-1}$	1247	369	275	1445	3335	13	6
$B^0  o \eta' ( o \eta_{3\pi} \pi^+ \pi^-) K^{0^{+-}}_S$							
$\epsilon_{sel} ~(\cdot 10^{-6})$	0.34	0.54	0.17	1.50	0.76	0.14	0.02
ev for 300 fb $^{-1}$	166	65	20	597	847	24	3

- $\bullet\,$  Background reduction better for  $\eta_{3\pi}$  than for  $\eta_{\gamma\gamma}$
- $\eta_{\gamma\gamma}$  mostly  $uar{u}$  and  $car{c}$
- $\eta_{3\pi}$  mostly  $c\bar{c}$
- peaking background is small
  - analyzed whole 5  $ab^{-1}$  dataset from MC5
- $\bullet\,$  preliminary study on w/ machine background shows similar rates





#### $Golden \ modes \ proposal$

- Time dependent CP asymmetry in  $B_d \rightarrow J/\psi K_S$
- Time dependent CP asymmetry in  $B_d \to \phi K_S, B_d \to \eta' K_S, B_d \to \pi^0 K_S, B_d \to K_S K_S K_S$
- Time dependent CP asymmetry in  $B_d \to K_S \pi^0 \gamma$
- Time dependent CP asymmetry in  $B_d \to \pi\pi$ ,  $B_d \to \pi\rho$ ,  $B_d \to \rho\rho$









Different strategies to determine the B<sub>sin</sub> decay vertex:

- · Simply use the tracks from "prompt decays";
- Add also a kinematical constraint:
  - ipprofile: beamspot constraint (all three axes);
  - iptube: constraint just on the plane transverse to boost, useful for B-physics;
- Can use also the  $K_{s}^{0}$  flight direction.





- A more detailed description of the Yield estimate
- Comparison with Belle and BaBar
- including the educated extrapolation for missing channels:

• plus 
$$\eta' \to \rho^0 \gamma K_S^0$$





<i>L</i> [fb

L	$N_{\mathrm{B}\overline{\mathrm{B}}}$	N <sub>B<sup>0</sup>B<sup>0</sup>0</sub>
$[ab^{-1}]$	[10	0 <sup>6</sup> ]
0.425(BaBar)	468	232
0.701 (Belle)	771	382
1	1100	546
5	5500	2728
50	55000	27280

<sup>-1</sup>]





• 
$$BR(B^0 \to \eta' K^0) = 6.6 \cdot 10^{-5}$$

• 
$$BR(\eta' \to \eta \pi^+ \pi^-) = 0.429$$

• 
$${\it BR}(\eta' o 
ho \gamma) = 0.291$$

•  $BR(\eta \rightarrow \gamma \gamma) = 0.3941$ 

• 
$$BR(\eta \to \pi^+ \pi^- \pi^0) = 0.3268$$

• 
$$BR(
ho o \pi^+\pi^-)=1$$

• 
$$K_{\rm S}^0/K_{\rm L}^0$$
 in  $K^0 = 0.5$   
•  $BR(K_{\rm S}^0 \to \pi^+\pi^-) = 0.6920$   
•  $BR(K_{\rm S}^0 \to \pi^0\pi^0) = 0.3069$ 

$$\label{eq:channel} \begin{array}{c} \frac{\text{Channel B}^0 \rightarrow \quad \text{BR } [\cdot 10^{-6}]}{\eta' \rightarrow \eta_{\gamma\gamma} \pi^+ \pi^-} \\ \hline \eta' \mathsf{K}^0_{\mathsf{S}} (\rightarrow \pi^+ \pi^-) \quad 3.86 \cdot 10^{-6} \\ \eta' \mathsf{K}^0_{\mathsf{S}} (\rightarrow \pi^0 \pi^0) \quad 1.71 \cdot 10^{-6} \\ \eta' \mathsf{K}^0_{\mathsf{L}} \qquad 5.58 \cdot 10^{-6} \\ \hline \eta' \mathsf{K}^0_{\mathsf{L}} \qquad 5.58 \cdot 10^{-6} \\ \hline \eta' \mathsf{K}^0_{\mathsf{S}\pi^+\pi^-} \qquad 3.20 \cdot 10^{-6} \\ \eta' \mathsf{K}^0_{\mathsf{L}} \qquad 4.63 \cdot 10^{-6} \\ \hline \eta' \mathsf{K}^0_{\mathsf{S}\pi^+\pi^-} \qquad 2.85 \cdot 10^{-6} \\ \eta' \mathsf{K}^0_{\mathsf{S}\pi^0\pi^0} \qquad 1.26 \cdot 10^{-6} \end{array}$$

Signal Efficiency



	Eff %	Eff (Belle)	Eff (BaBar)						
$Channel\ B^0 \to$	Belle2	[Belle(2014)]	[BABAR(2009)]						
$= \frac{\eta' \to \eta_{\gamma\gamma} \pi^+ \pi^-}{\eta_{\gamma\gamma} \pi^+ \pi^-}$									
$\eta' K^{0}_{S}(\to \pi^+ \pi^-)$	23.0	21.9	26.4						
$\eta' K^{0}_{S}( o \pi^{0}\pi^{0})$	$11.5^{\star}$	7.9	13.2						
$\eta' K^{0}_{L}$	-	19.4	14.9						
$ \qquad \qquad$									
$\eta' K^{0}_{S_{\pi}^{+}\pi^{-}}$	8.1	7.1	11.5						
$\eta' K^{0}_{L}$	-	6.0	7.0						
$\frac{1}{1} \eta' \to \rho_{\pi^+\pi^-} \gamma$									
$\eta' K^{0}_{S_{\pi}^+\pi^-}$	-	27.8	32.5						
$\eta' K^{0}_{S_{\pi}^{0}\pi^{0}}$	-	7.2	15.1						

#### Note

\* very preliminary The effiency used for the expected yields (next page) for the channels not studied yet are taken as an average of that of Belle and BaBar

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### Signal Yield vs Luminosity and comparison with Belle/BaBar



$L [ab^{-1}] (N_{B\overline{B}})$	0.425 (468M)		0.701 (771M)		1 (1100M)	5 (5500M)				
$Channel\ B^0 \to$	B2	[BABAR(2009)]	B2	[Belle(2014)]	B2	B2				
$\eta' \to \eta_{\gamma\gamma} \pi^+ \pi^-$										
$\eta' K^{0}_{S}(\to \pi^{+}\pi^{-})$	412	472	679	648	969	4840				
$\eta'K^{0}_{S}( o\pi^{0}\pi^{0})$	91	105	151	104	215	1070				
$\eta' K^{0}_{L}$	520	386	850	829	1200	6100				
$\eta' \to \eta_{\pi^+\pi^-\pi^0} \pi^+$	$\eta' \to \eta_{\pi^+\pi^-\pi^0} \sigma^+ \pi^-$									
$\eta' K^{0}_{S_{\pi}^{+}\pi^{-}}$	120	171	198	174	283	1415				
$\eta' K^{0}_{L}$	137	169	223	213	320	1600				
$\eta' \to \rho_{\pi^+\pi^-} \gamma$										
$\eta' K^{0}_{S_{\pi}^{+}\pi^{-}}$	894	1005	1474	1411	2100	10500				
$\eta' K^{0}_{S_{\pi}^{0}\pi^{0}}$	140	206	223	162	320	1600				
All K <sup>0</sup> <sub>S</sub>	1654	1959	2728	2519	3891	19500				
All K <sup>0</sup>	657	556	1084	1042	1546	7730				
All	2311	2515	3811	3541	5437	27200				

### Estimated sensitivity (and comparison with Belle/BaBar)



$L \;[ab^{-1}]\;(\mathit{N}_{B\overline{B}})$	0.425 (468M)				0.701 (771M)			
Channel $B^0 \rightarrow$	$\sigma_{S}$	$\sigma_{C}$	$\sigma_{S}$	$\sigma_{C}$	$\sigma_{S}$	$\sigma_{C}$	$\sigma_{S}$	$\sigma_{C}$
$\eta' \to \eta_{\gamma\gamma} \pi^+ \pi^-$	B2		[BABAR(2009)]		B2		[Belle(2014)]	
$\eta' K^{0}_{S}( o \pi^{+}\pi^{-})$	0.21	0.13	0.17	0.11	0.15	0.10	0.15	0.10
$\eta'K^{0}_{S}( o\pi^{0}\pi^{0})$	0.45	0.28	0.34	0.30	0.26	0.17	*0.21	*0.18
$\eta' K^{0}_{L}$	0.19	0.14	0.22	0.16	0.11	0.09	) n.a.	
$\overline{\eta' \to \eta_{\pi^+\pi^-\pi^0}\pi^+}$	$\pi^{-}$							
$\eta' K^{0}_{S_{\pi}^+\pi^-}$	0.36	0.24	0.26	0.20	0.30	0.20	0.26	0.18
$\eta' K^{0}_{L}$	0.33	0.28	0.36	0.25	0.20	0.17	n.a.	
$\overline{\eta' \to \rho_{\pi^+\pi^-} \gamma}$								
$\eta' K^{0}_{S_{\pi}^+\pi^-}$	0.10	0.12	0.12	0.09	0.08	0.07	0.09	0.07
$\eta' K^{0}_{S_{\pi}^{0}_{\pi}^{0}}$	0.26	0.22	0.33	0.26	0.21	0.18	*0.21	*0.18
All K <sup>0</sup> <sub>S</sub>	0.100	0.063	0.08	0.06	0.071	0.045	0.074	0.052
All K <sup>0</sup>	0.165	0.13	0.18	0.13	0.21	0.14	0.21	0.14
All	0.086	0.056	0.08	0.06	0.067	0.043	0.07	0.049

# Estimated sensitivity

$\frown$	
INFN	
$\mathcal{C}$	

$L \;[ab^{-1}]\;(\mathit{N}_{B\overline{B}})$	1 (1100M)		2 (2200M)		5 (5500M)			
$Channel\ B^0 \to$	$\sigma_{S}$	$\sigma_{C}$	$\sigma_{S}$	$\sigma_{C}$	$\sigma_{S}$	$\sigma_{C}$		
$\eta' \to \eta_{\gamma\gamma} \pi^+ \pi^-$								
$\eta' K^{0}_{S}(\to \pi^+\pi^-)$	0.13	0.08	0.09	0.06	0.06	0.04		
$\eta'K^{0}_{S}( o\pi^{0}\pi^{0})$	0.27	0.17			0.12	0.09		
$\eta' K^{0}_{L}$	0.12	0.09			0.06	0.04		
$\eta' \to \eta_{\pi^+\pi^-\pi^0} \pi^+$	$\pi^{-}$							
$\eta' K^{0}_{S_{\pi}^{+}\pi^{-}}$	0.25	0.16	0.17	0.12	0.11	0.08		
$\eta' K^{0}_{L}$	0.22	0.18			0.10	0.08		
$\eta' \to \rho_{\pi^+\pi^-} \gamma$								
$\eta' K^{0}_{S_{\pi}^{+}\pi^{-}}$	0.06	0.07			0.04	0.03		
$\eta' K^{0}_{S_{\pi}^{0}_{\pi}^{0}_{\pi}^{0}}$	0.10	0.17			0.10	0.07		
All K <sup>0</sup> <sub>S</sub>	0.065	0.040			0.028	0.02		
All $K_L^0$	0.17	0.111			0.08	0.05		
All	0.060	0.038			0.027	0.020		













S.Lacaprara (INFN Padova)







S.Lacaprara (INFN Padova)

### Distribution for Signal and Background

 $\mathbf{B}^{0} \rightarrow \eta'(\eta(\gamma\gamma) \pi^{+}\pi) \mathbf{K}_{\alpha}^{0}(\pi^{+}\pi)$ 









- Black: signal True \\
  - SxF //
  - All candidates!
- Colors: background
- No major differences for Signal and Background distribution from BGx0 to BGx1

#### Distribution for Signal and Background





### Background: continuum suppression

Plot with all candidates







Multi dim. extended maximum likelihood fit to extract S and A.

time-dep part

Pdf is of the form:  $\mathcal{P}_{j}^{i} = \mathcal{T}_{j}\left(\Delta t^{i}, \sigma_{\Delta t}^{i}, \eta_{CP}^{i}\right) \prod_{k} \mathcal{Q}_{k,j}(x_{k}^{i})$ 

time-dependent part, taking into account mistag rate ( $\eta_f = \pm 1$  is CP state):

$$f(\Delta t) = \frac{e^{-|\Delta t|/\tau}}{4\tau} \Big\{ 1 \mp \Delta w \pm (1 - 2w) \times \big[ -\eta_f S_f \sin(\Delta m \Delta t) - A_f \cos(\Delta m \Delta t) \big] \Big\}$$

time integrated

variables  $(x_k)$  used, in addition to  $\Delta t$ 

- $M_{bc}$
- $\Delta E$
- Cont. Suppr.
- SxF BDT

effective tagging efficiency: Q = ε(1 − 2w)<sup>2</sup> = 0.33
 w = 0.21, Δw = 0.02

Parameters:

- $\Delta t$  resolution as shown previously (convoluted)
- **new**  $\tau$ ,  $\Delta m$  from PDG





- [Belle(2014)] Belle. Measurement of time-dependent cp violation in  $b_0 \rightarrow \eta' k_0$  decays. Journal of High Energy Physics, 2014(10):165, 2014. doi: 10.1007/JHEP10(2014)165. URL http://dx.doi.org/10.1007/JHEP10%282014%29165.
- [BABAR(2009)] BABAR. Measurement of time dependent cp asymmetry parameters in B<sup>0</sup> meson decays to ωK<sup>0</sup><sub>S</sub>, η'K<sup>0</sup>, and π<sup>0</sup>K<sup>0</sup><sub>S</sub>. PRD, 79:052003, 2009. doi: 10.1103/PhysRevD.79.052003. URL http://link.aps.org/doi/10.1103/PhysRevD.79.052003.