

Diffuse gamma-ray and neutrino emissions of the Galaxy above the TeV

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Motivations: EGRET observations



Large fraction of > GeV γ -rays should be originated by hadronic interactions. $p + p_{gas} \rightarrow p + p + \pi^{0}$





Motivations: CR observations

From CR measurements we expect that the γ -ray diffuse emission should extend to > 100 GeV energies.

We don't know however what fraction is due to hadronic processes and what is due to leptonic ones and how it depends on the position in the sky.

leptonic / hadronic degeneracy





10'

Experiments



<mark>GLAST</mark> E_{max} ~ 300 GeV



Atmospheric Cherenkov Telescopes (HESS, MAGIC, Whipple..) 0.1 < E < 100 TeV (best suited for localised sources)



Air Shower Arrays (MILAGRO, TIBET AS Gamma)

1 < E < 100 TeV



Neutrino Telescopes (ICECUBE,ANTARES,NESTOR,NEMO...) E > 1 TeV

May help to solve the hadronic-leptonic origin degeneracy

Problem set up

Estimate the hadronic emission above the TeV in v and γ -rays (almost insensitive to local effects).

Ingredients we need to study the CR propagation:

- 1. CR sources —
- 2. Magnetic fields \longrightarrow
- 3. Targets

SNR distribution turbulence gas distribution

Also try to estimate how the uncertainties on the knowledge of our ingredients reflect in the diffuse emission.

CR sources: SNR distribution

<u>Past years:</u> SNR (radio shells) surveys used (Case & Battacharya, '96, '98). <u>Several problems:</u> incomplete, selection effects, do not fit radioactive nuclides (²⁶Al).

Other approach: SNR are traced by pulsars and old stars (Ferriere '01, Lorimer '04).



The Ferriere's distribution is more realistic but much more peaked. It is harder to reproduce the EGRET diffuse emission along the GP.

"CR gradient" problem Strong et al. '04

Galactic Magnetic Field

Galactic magnetic field is a superposition of a regular plus a random component. We assume, in axial symmetry:

$$\begin{split} B_{\rm reg}(r,z) &= B_0 \exp\left\{-\frac{r-r_{\odot}}{r_B}\right\} \frac{1}{2\cosh(z/z_r)} \qquad z_r \sim 1.5 \ {\rm kpc} \\ B_{\rm ran}(r,z) &= \sigma(r) \ B_{\rm reg}(r,0) \ \frac{1}{2\cosh(z/z_t)} \qquad z_t \geq 3 \ {\rm kpc} \\ {\rm L}_{\rm max} \sim 100 \ {\rm pc} \gg r_{\rm L}({\rm B}_{\rm reg}) \longrightarrow \qquad Propagation \ occurs \ in \ the spatial \ diffusion \ regime} \end{split}$$

 $\sigma \ge 1$ (strong turbulence)

Turbulence mainly driven by CRs $\longrightarrow \sigma(r)$ enhanced in SNR rich regions **position dependent** diffusion coefficients (previous simulations adopted **uniform diffusion coefficients** and **isotropic diffusion**)

We adopt a position dependent $D_{\perp}(E, B_{\text{reg}}, \sigma)$ as determined by MonteCarlo simulations (Candia & Roulet, '04). Other approaches (as B/C determination) only probe a diffusion coefficient averaged over the whole CR path.

Results: CR profiles

We solved the diffusion eq. (see e.g. Ptuskin et al.'93). Boundary conditions $N(r = \pm 30 \text{ kpc}, z = \pm z_t) = 0$



Simulated proton fluxes normalised according to the observed values at the Sun position (Horandel '03). Injection spectral slope tuned to reproduce $\alpha = 2.7$.

 Table 1. The main properties of the models considered in this section.

	Model No	SNR	$\sigma(r)$	Turbulence	z-symmetry
	0	CB [29]	1	Kolmogorov	S
•••••	1	Ferriere [32]	1	Kolmogorov	S
	2	Ferriere [32]	Like SNR	Kolmogorov	S
	3	Ferriere [32]	1	Kraichnan	S
	4	Ferriere [32]	1	Kolmogorov	Α

Evoli, Grasso, L.M., JCAP 0706:003,2007

Notice: position dependent diffusion helps smoothing the CR distribution! Ameliorate the "CR gradient" problem

Gas distribution

H_2 is the main target. Generally traced by ¹²CO (J=1-0).



<u>3-D structure</u>: Doppler shift (velocity) + galactic rotation curve.



We also accounted for HI as determined from 21cm surveys Nakanishi & Sofue'03 Wolfire et al. '03 and ref.s therein

Gas distribution: X_{CO}

A scaling factor is needed to convert CO maps into gas column density. Expected to change with r, dependence on the metallicity. Fine tuning needed to achieve agreement with EGRET measurements ("CR gradient" problem, see Strong et al., A&A 422).



The uncertainty is about a factor of 2.

Results: γ-ray emission

$$\frac{dn_{\gamma/\nu}(E;\ b,l)}{dE} \simeq f_N\ \sigma_{pp}\ Y_{\nu,\gamma}(\alpha)\ \int \mathrm{d}s\ I_p(E;\ r,z)\ n_H(r,z)$$

 $Y_{\gamma}(2.7) = 0.036$ $Y_{\nu}(2.7) = 0.012$ (v oscillations accounted for) determined by PYTHIA simulations with a ~20% uncertainty.

 $f_N \sim 1.44$ accounts for nuclei in CR and ISM. *s* distance to the observer. $\alpha = 2.7$ proton spectral index.

Cavasinni, Grasso, L.M. '06; Evoli, Grasso, L.M. '07

Comparison with EGRET maps (4 GeV < E < 10 GeV)



using a 3-D gas distribution (*Evoli, Gaggero, Grasso, L.M., in progress*) With more realistic X_{CO} a better fit should be achieved and there should be room for IC scattering contribution, needed to match the latitude profile (Strong et al. '04).

Results: γ-ray emission





Results: γ-ray emission

We compared our predictions with ASA experiments' results

Sky window	E_{γ}	Our model	Measurements		
$ l < 10^{\circ}, \ b \le 2^{\circ}$	$4 { m GeV}$	${\simeq}4.7 \times 10^{-6}$	$\simeq 6.5 \times 10^{-6} \ [63]$	EGRET	
$20^{\circ} \le l \le 55^{\circ}, \ b \le 2^{\circ}$	$3~{\rm TeV}$	$\simeq 5.7 \times 10^{-11}$	$\leq 3 \times 10^{-10} \ [10]$	TIBET	
	$4 \mathrm{GeV}$	$\simeq 4.4 \times 10^{-6}$	$\simeq 5.3 \times 10^{-6}$ [63]		
$73.5^{\circ} \le l \le 76.5^{\circ}, \ b \le 1.5^{\circ}$	$12 { m TeV}$	${\simeq}2.9 \times 10^{-12}$	$\simeq 6.0 \times 10^{-11} \ [11]$	MILAGRO (Cvgnus)	
	$4 \mathrm{GeV}$	$\simeq 2.4 \times 10^{-6}$	$\simeq 3.96 \times 10^{-6}$ [63]	(0)81143)	
$140^{\circ} < l < 200^{\circ}, \ b < 5^{\circ}$	$3.5~{\rm TeV}$	${\simeq}5.9 \times 10^{-12}$	$\leq 4 \times 10^{-11}$ [9]	MILAGRO	
	$4 \mathrm{GeV}$	$\simeq 5.9 \times 10^{-7}$	$\simeq 1.2 \times 10^{-6} [63]$		

 $\Phi_{\gamma}(>E_{\gamma}) \ (\mathrm{cm}^2 \ \mathrm{s} \ \mathrm{sr})^{-1}$

We didn't account for a possible IC contribution. Overall uncertainty is a factor of ~ 2 .

Evident excess in the Cygnus region. A local overdensity (factor ~ 10) has to be invoked (see Abdo et al. '06).

Results: v emission

The only experimental limit available so far is by AMANDAII [Kelley at al. 2005]:

 $\Phi_{\nu_{\mu}+\bar{\nu}_{\mu}}(>1 \text{ TeV}) < 3.1 \times 10^{-9} (\text{cm}^2 \text{ s sr})^{-1}$ $33^\circ < l < 213^\circ, |b| < 2^\circ$ our prediction is ~ 4 × 10⁻¹¹ !! (undetectable even for IceCube)

For a km³ neutino telescope in the North hemisphere we found



New developments: clumpy H₂



Conclusions

- We solved the diffusion eq. assuming inhomogeneous diffusion and a realistic distribution of CR sources (SNR). Results are encouraging and motivate further study. Inhomogeneous diffusion also helps in addressing the "CR gradient" problem (together with spatial variation of X_{CO}).
- IC scattering contribution is not accounted for. It may be dominant at high galactic latitudes especially if EGRET excess will be confirmed by GLAST.
- We **estimated** the γ -ray and ν emission above the TeV from the GP and **compared** them to the results from ASA experiments and Neutrino Telescope present limits.
- Positive diffuse neutrino detection only possible from dense molecular cloud regions embedding CR sources.
- Further progresses can then be achieved by considering the **clumpy distribution** of the gas (H₂) in the ISM, also related to the star formation rate in those regions.